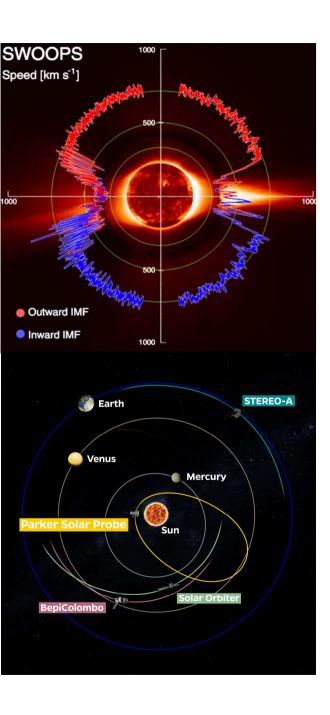
Young solar wind coherent structures from inertial to sub-ion range

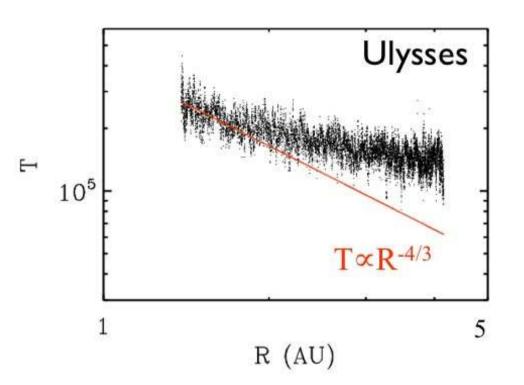
Vinogradov Alexander

LESIA, Observatory of Paris: Alexandrova O., Maksimovic M., Space Research Institute RAS, Moscow: Artemyev A.V., Vasilyev A.



The solar wind

Wind temperature (T_{ions}) decays less than adiabatic $(\sim R^{-4/3})$

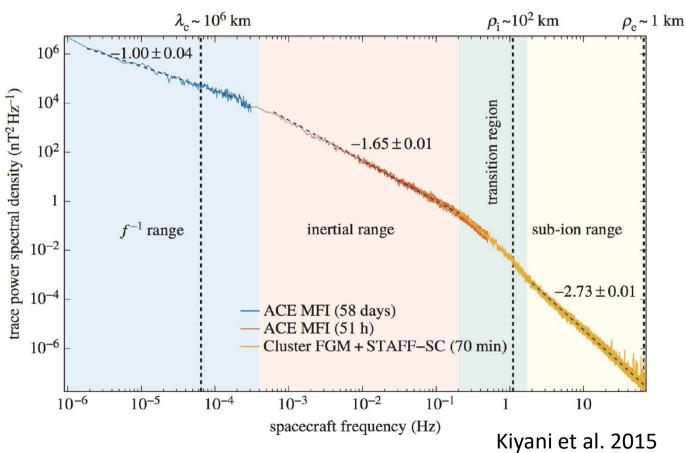


[Image credit: Lorenzo Matteini]

- Non-adiabatic plasma expansion
- Heating problem
- Turbulent fluctuations could be the energy source

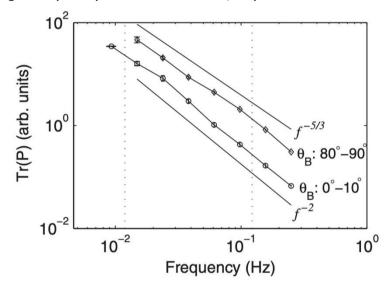
Solar wind turbulence: Introduction

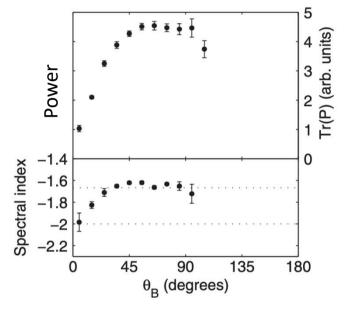
- Power low spectrum
- Spectral break at ion scales
- Intermittency
- Dissipation



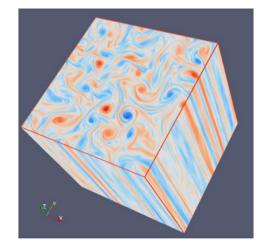
Observations of k-anisotropy in the solar wind

Horbury, T. S., Forman, M., and Oughton, S., "Anisotropic Scaling of Magnetohydrodynamic Turbulence", *Physical Review Letters*, 2008.





Vorticity component aligned along the mean magnetic field, from a MHD simulation.

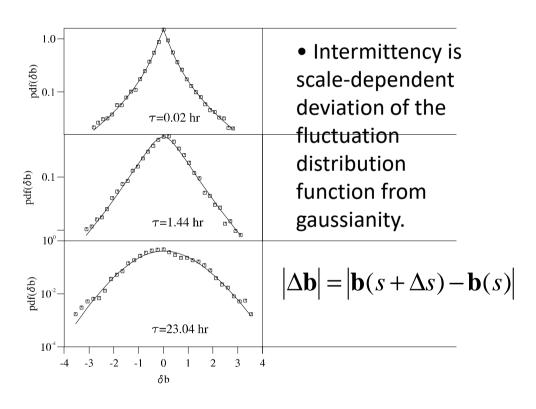


Alexakis, A. and Biferale, L., "Cascades and transitions in turbulent flows", *Physics Reports*, 2018

- 2D turbulence dominates
- Spectral indices are in agreement with critical balance (CB) model
- But δ V-spectra in the solar wind are not the same as δ B-spectra => problem with CB... not resolved.

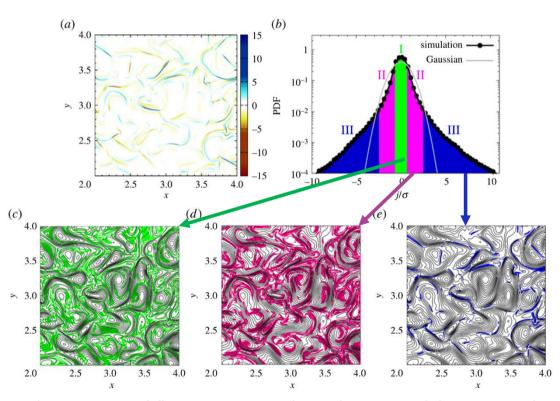
$$\mathcal{P}(f; \theta_B) = C_{\text{slab}} f^{-\gamma_{\text{slab}}} |\cos \theta_B|^{\gamma_{\text{slab}} - 1} + C_{\text{2D}} f^{-\gamma_{\text{2D}}} |\sin \theta_B|^{\gamma_{\text{2D}} - 1},$$

Intermittency in space plasma turbulence



[Sorriso-Valvo et al. 1999]

• Intermittency is due to appearance of coherent structures 2D MHD simulations: current density:

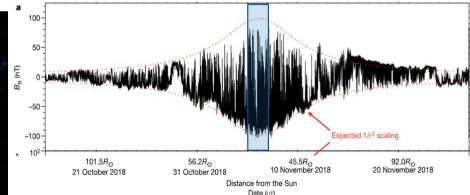


Matthaeus W.H. et al, "Intermittency, nonlinear dynamics and dissipation in the solar wind and astrophysical plasmas." *Phil. Trans. R. Soc. A,* 2015.

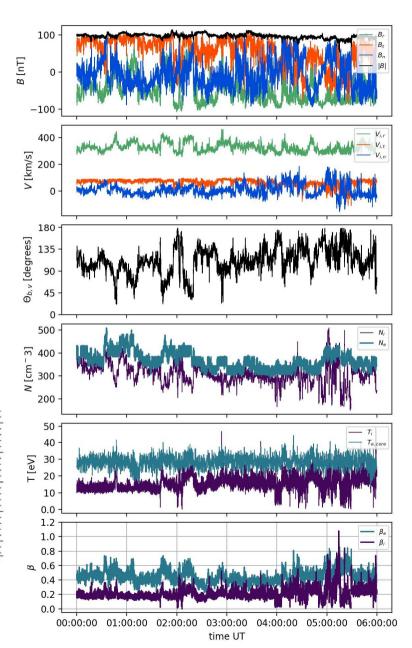
Parker Solar Probe First encounter 2018-11-06

- The main goal of our investigation is to characterize solar wind coherent structures at multiple ranges of scales.
- We use merged (SCM and fluxgate magnetometer) data with 3.413 ms resolution in the satellite frame
- Radial distance R~25*10^9 m~0.17 a.u.





Bale et al., 2019, Nature



Parker Solar Probe at 0.17 AU Spectral properties

• To investigate the multi-scale nature of the magnetic fluctuations we define the following frequency ranges:

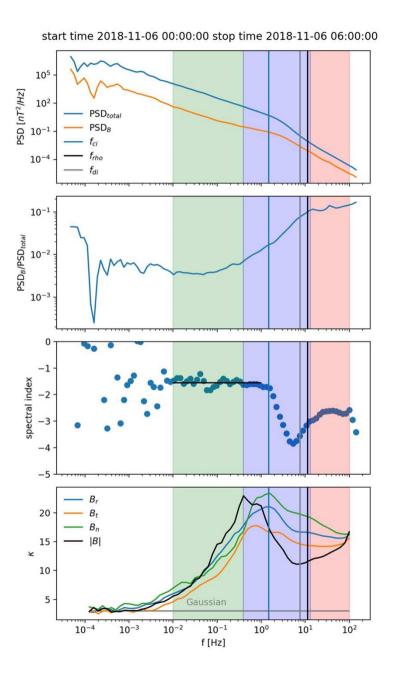
- 1. Low frequency MHD scales $10^{-4}~{\rm Hz} < f < 10^{-2}~{\rm Hz}$ (Fig. 2 in white)
- 2. Inetrial range MHD scales $10^{-2}~{\rm Hz} < f < 0.4{\rm Hz}$ (Fig. 2 in green)
- 3. Ion scales 0.4 Hz < f < 12 Hz (Fig. 2 in blue)
- 4. Sub-ion scales 12 Hz < f < 100 Hz (Fig. 2 in red)

Increment

$$\delta B(t, \Delta t) = |B(t + \Delta t) - B(t)|$$

Kurtosis is the fourth normalized moment (at the bottom panel), defined as :

$$\kappa(\Delta t) = \frac{E[\delta B(\Delta t)^4]}{(E[\delta B(\Delta t)^2])^2}$$



Detection of coherent structures in turbulent signal

Wavelet transform of a magnetic filed component: N-1

$$\widehat{B}_r(t,\tau) = \sum_{j=0}^{N-1} B_r(t_j) \psi^* \left[\frac{t_j - t}{\tau} \right]$$

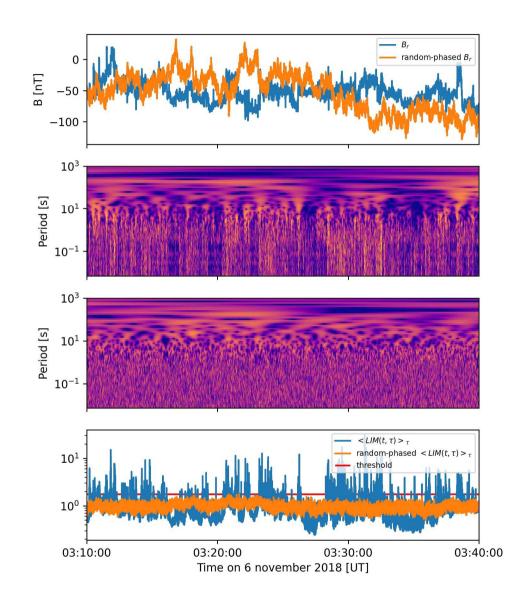
Morlet basis function:

$$\psi(t) = \pi^{-1/4} e^{-i\omega t} e^{-\frac{t^2}{2}}$$

Local Intermittency Measure (LIM) [Farge 1990]: $\hat{p}_{2}(t, \sigma)$

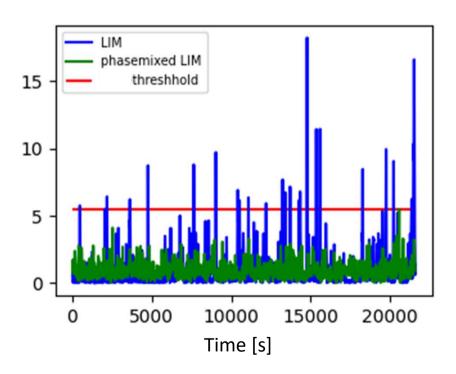
$$LIM_r = \frac{\hat{B}_r^2(t,\tau)}{\langle \hat{B}_r^2(t,\tau) \rangle_t}$$

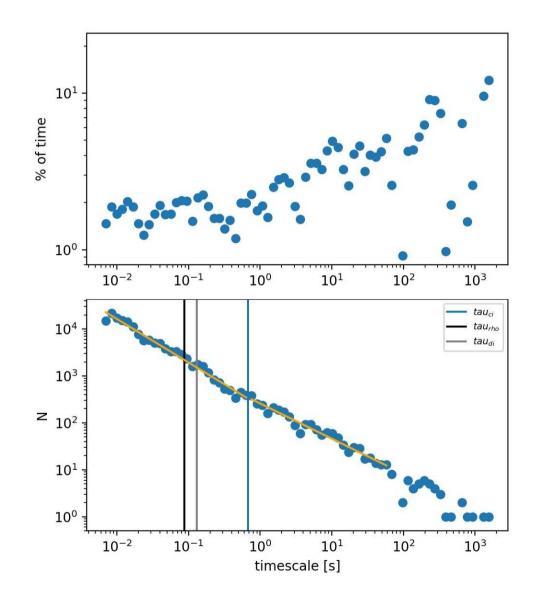
Scale-by-scale vs all-scales-methodology



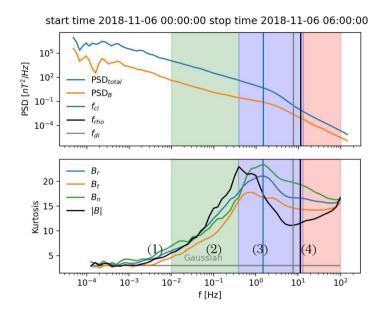
Structures filling factor at different scales

• Scale-by-scale methodology Example for ~20 sec time-scale:





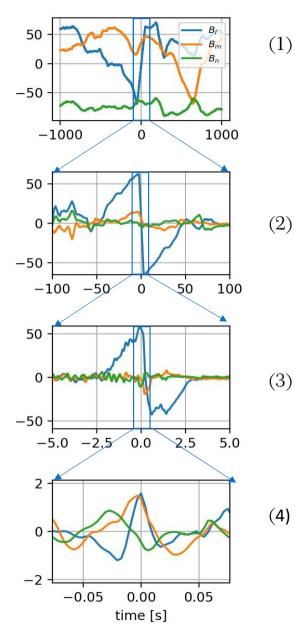
Example-1



To define fluctuations within a frequency range, we apply a band-pass filter $f \in F_i$:

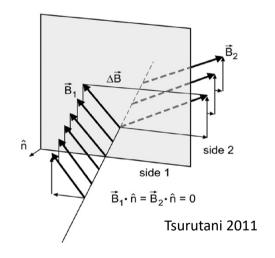
$$\delta \mathbf{B}_{f \in F_j} = \left\langle \mathbf{B} - \langle \mathbf{B} \rangle_{\max(\tau_j)} \right\rangle_{\min(\tau_j)}$$

 $\min(\tau_j)$, $\max(\tau_j)$ – minimum and maximum timescales corresponding to F_j frequency range



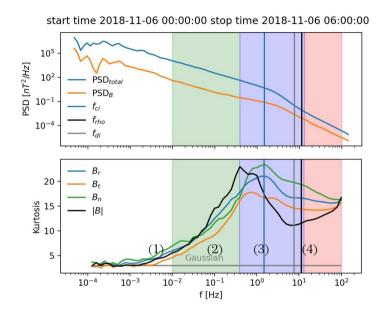
(1) Frequency range (1): reversal in one component. A current sheet with a mean field?

Frequency ranges (2) and (3): the same current sheet as in (1)?



(4) Range (4): small scale vortex?

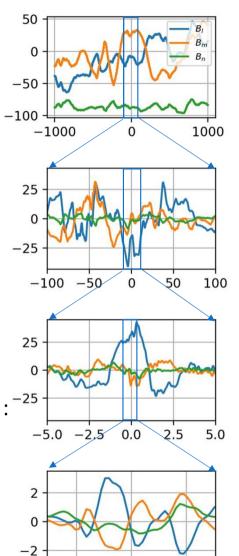
Example-2



To define fluctuations within a frequency range, we apply a band-pass filter $f \in F_j$:

$$\delta \mathbf{B}_{f \in F_j} = \left\langle \mathbf{B} - \langle \mathbf{B} \rangle_{\max(\tau_j)} \right\rangle_{\min(\tau_j)}$$

 $\min(\tau_j)$, $\max(\tau_j)$ – minimum and maximum timescales corresponding to F_j frequency range



0.00

time [s]

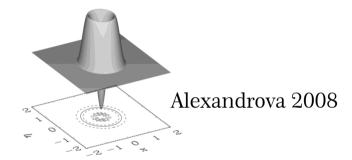
0.05

-0.05

(3)

Frequency range (1): flux rope/vortex?
Frequency ranges (2): the same a vortex?

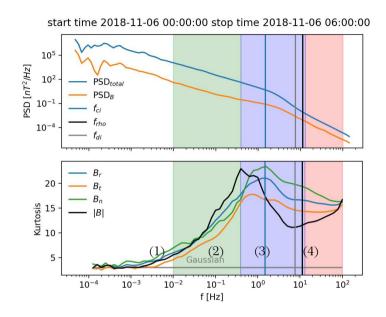
Frequency ranges (3): more clear signature of an Alfven vortex at



- Incompressible MHD vortex model: Petviashvilli & Pokhotelov 1992;
- Compressible MHD + Ion-scales vortex model: Jovanovic et al.

Range'(4): small scale vortex?

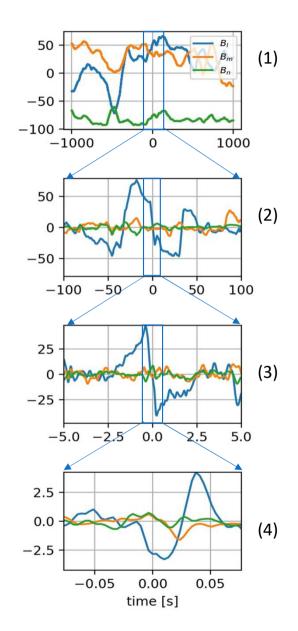
Example-3



To define fluctuations within a frequency range, we apply a band-pass filter $f \in F_j$:

$$\delta \mathbf{B}_{f \in F_j} = \left\langle \mathbf{B} - \langle \mathbf{B} \rangle_{\max(\tau_j)} \right\rangle_{\min(\tau_j)}$$

 $\min(\tau_j)$, $\max(\tau_j)$ – minimum and maximum timescales corresponding to F_j frequency range



Frequency range (1)?

Frequency ranges (2): Series of MHD discontinuities or a vortex at 10²s scale?

Frequency ranges (3): signatures of a current sheet at ~1 s scale.

Range (4): small scale vortex?

Conclusion

- We detected statistics of high-intermittency events
- Analized them at different ranges of scales (from MHD inertial to sub-ion scales)
- Classified/found them as structures (vortex, discontinuity)
- Plasmoid-mediated turbulence (Tearing mode instability in the current sheets)
- Clustering/embedding of the structures
- Structures occurence rate and filling factor

Open questions

- Several new structures with explicit/specific features lack obvious interpretation
- How these structures interact with ions and electrons?
- Can they explain the non-thermal particles distributions and solar wind heating?